



# Particle Identification in SPD

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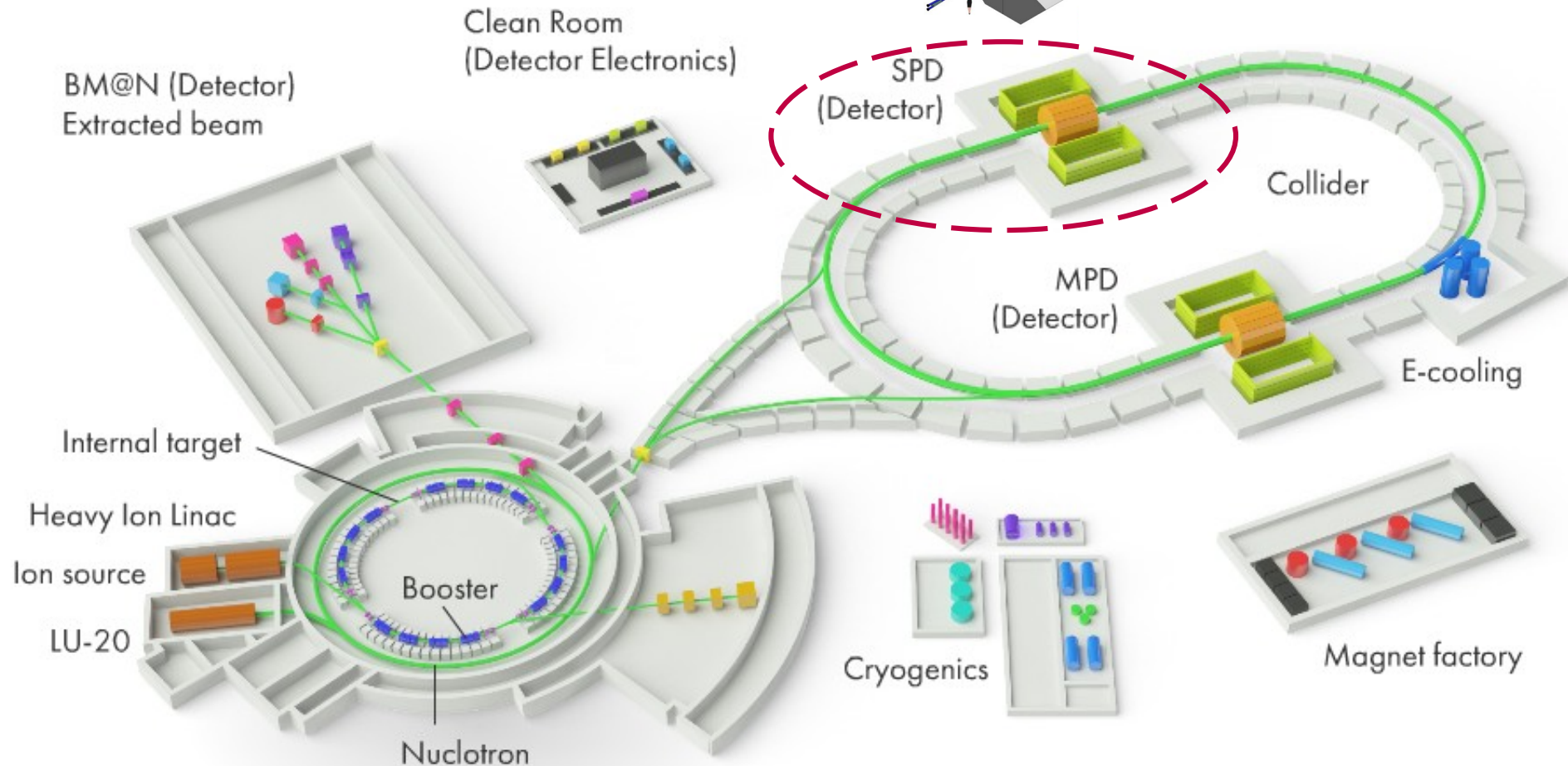
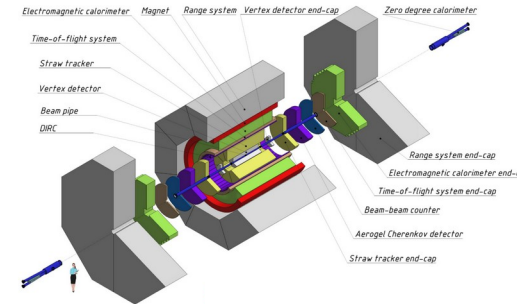
# NICA - Nuclotron-based Ion Collider fAcility

## Polarized beams

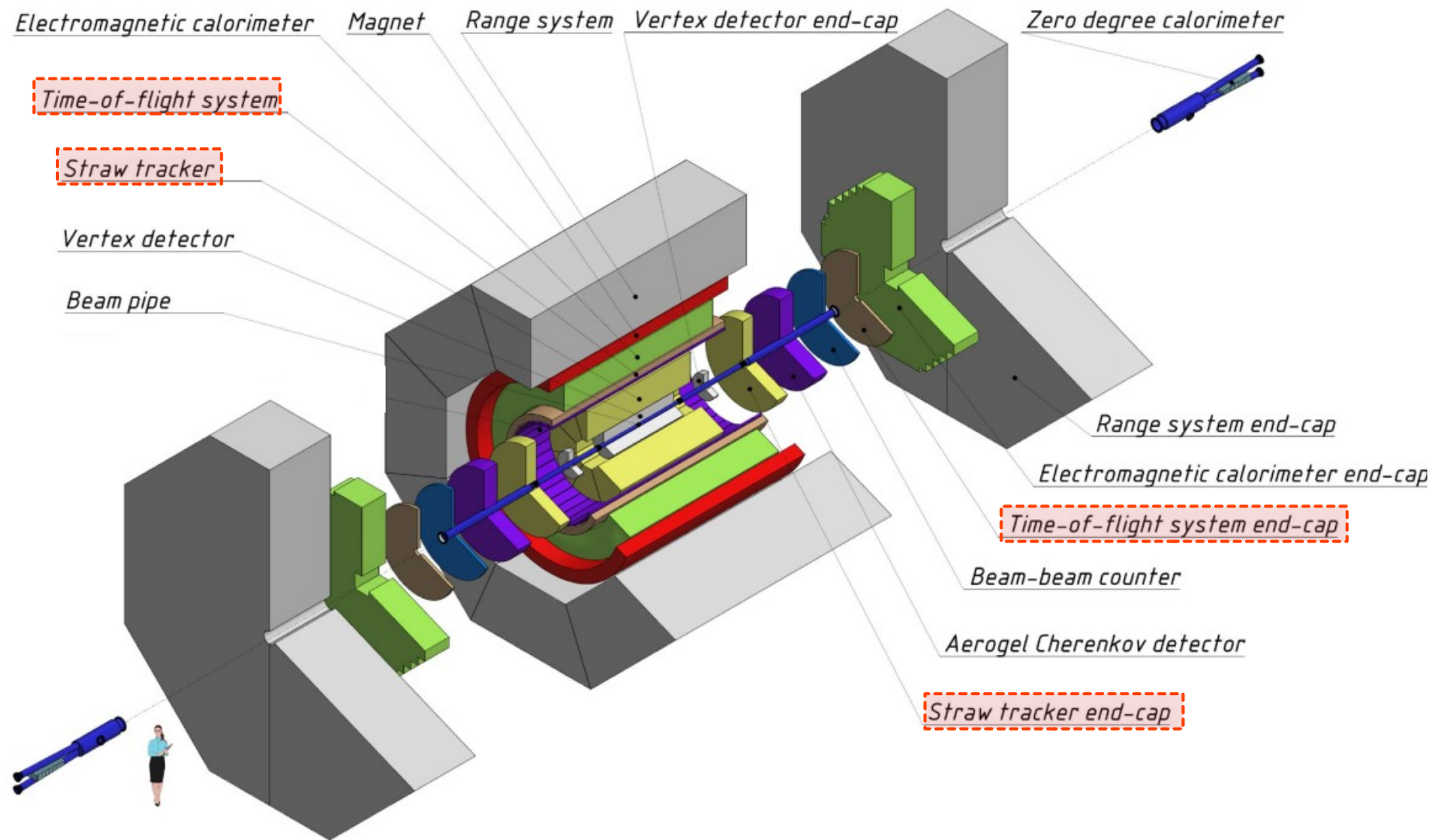
$p^\uparrow p^\uparrow$  at  $\sqrt{s} \leq 27 \text{ GeV}$   
 $d^\uparrow d^\uparrow$  at  $\sqrt{s} \leq 13.5 \text{ GeV}$   
 $p^\uparrow d^\uparrow$  at  $\sqrt{s} \leq 19 \text{ GeV}$

longitudinal and  
 transverse polarization  
 (UU, LL, TT, UT, LT)  
 > 70%

## Spin Physics Detector



# Particle identification in SPD



In this talk, particle identification via time-of-flight and straw tubes is discussed.

# Typical PID approach

For a detector with a Gaussian response

Observed signal from a detector

What we expect for a given  $m$  hypothesis

PID discrimination variable

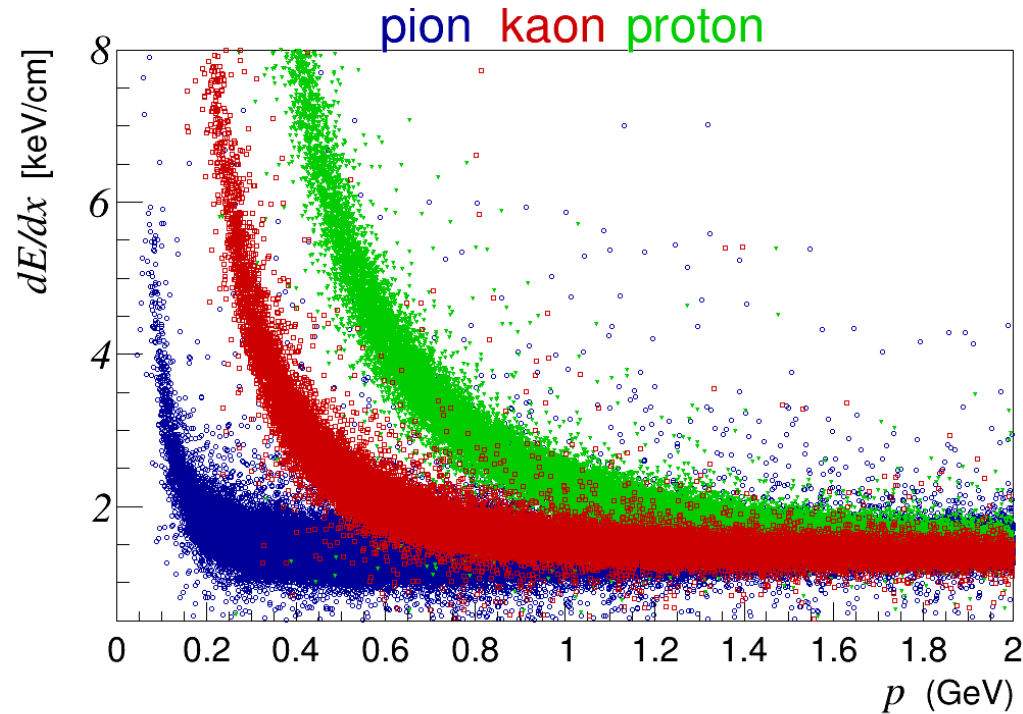
$$n_{\sigma_{\alpha}^i} = \frac{S_{\alpha} - \hat{S}(H_i)_{\alpha}}{\sigma_{\alpha}^i}$$

$\alpha = STRAW, TOF \dots$   
 $i = \pi, K, p \dots$

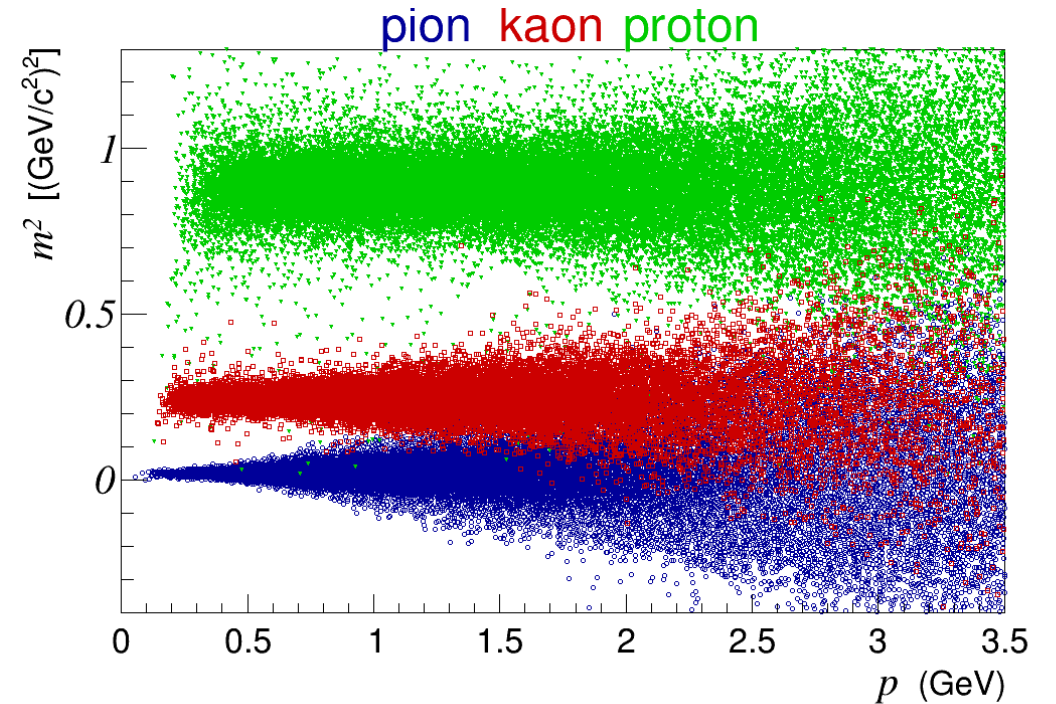
detector resolution

# PID detectors

## Straw tracker



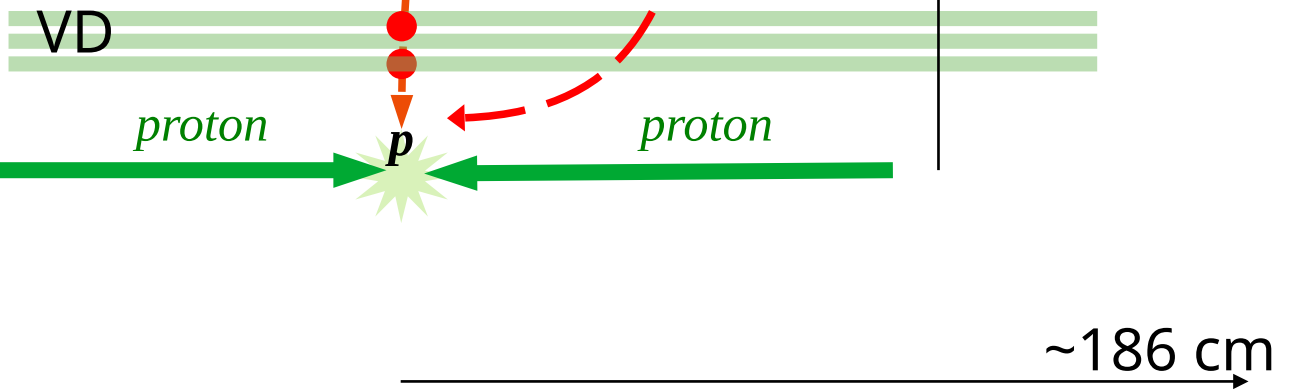
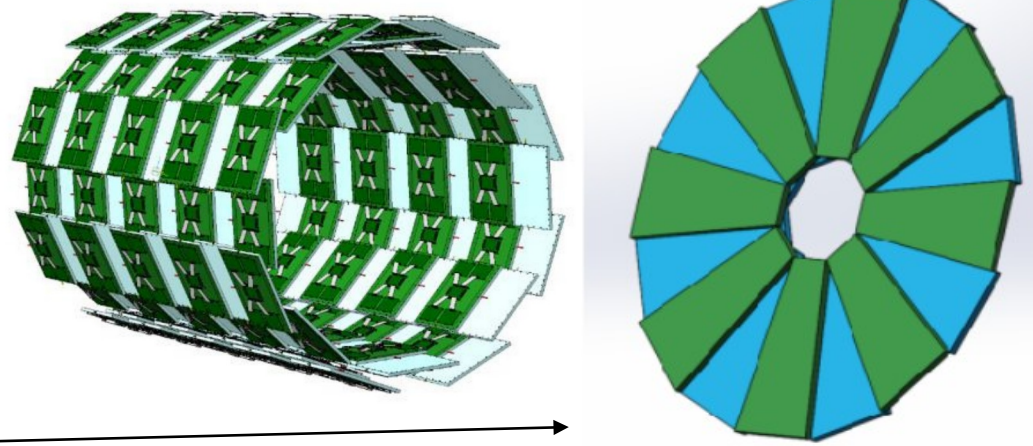
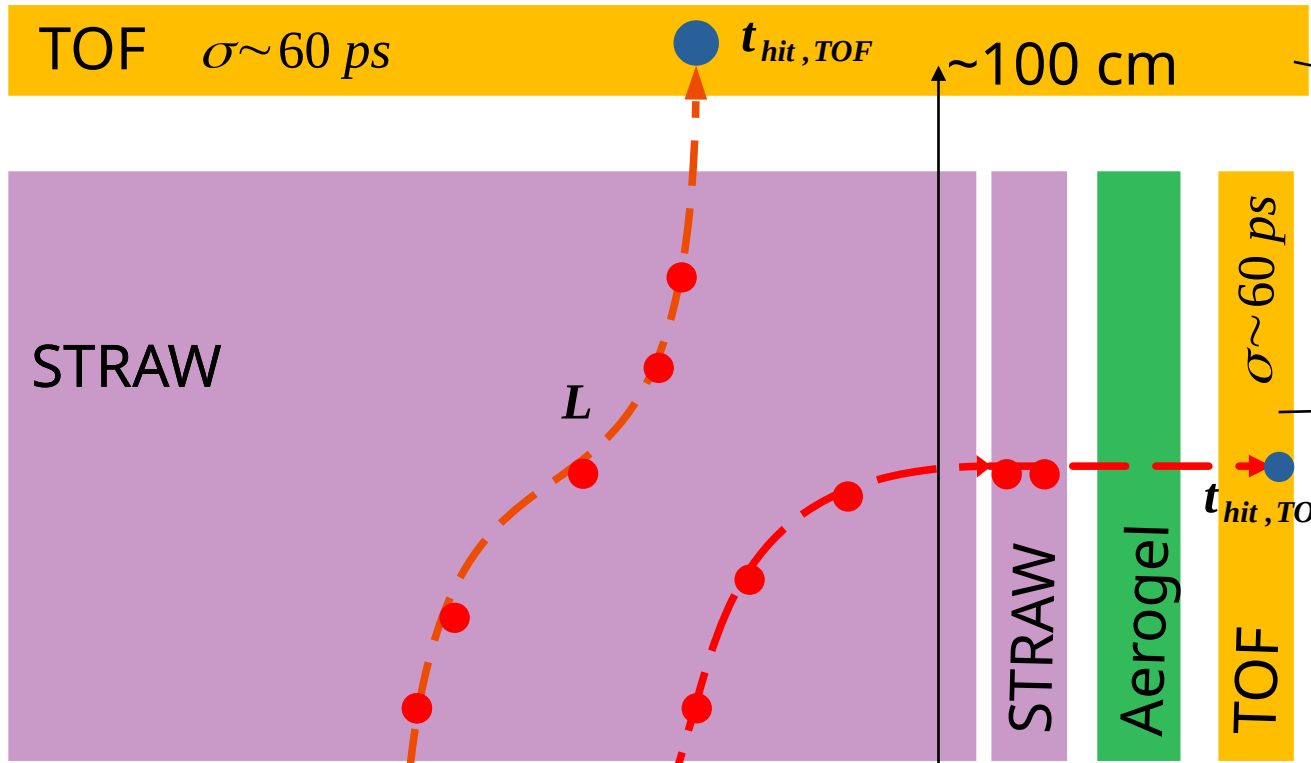
## TOF



Detector	Signal
Straw tracker	ionization energy loss ( $dE/dx$ )
TOF	time of flight

# Time-of-Flight system

Magnetic field



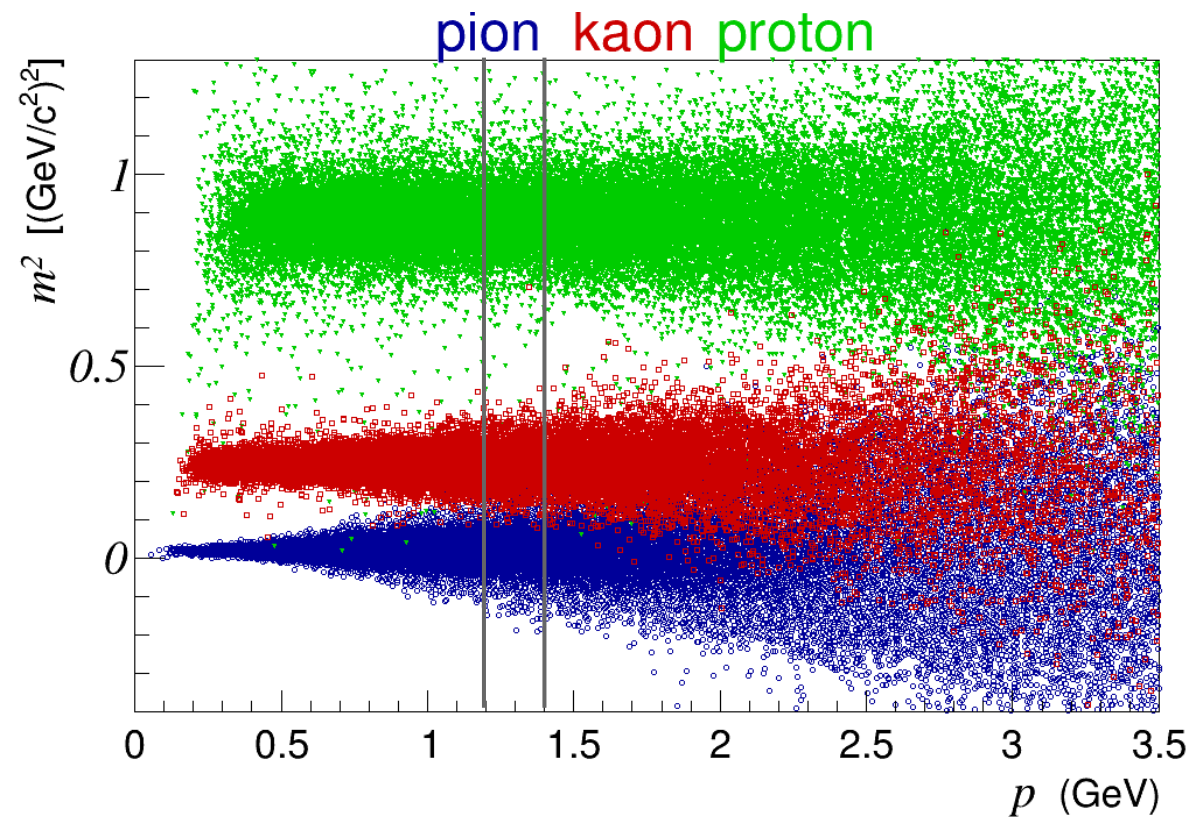
$$m^2 = \frac{p^2}{c^2} \left[ \frac{t_{TOF}^2 c^2}{L^2} - 1 \right]$$

$$\sigma_{m^2}^2 = 4 m^4 \left( \frac{\sigma_p}{p} \right)^2 + 4 E^4 \left( \frac{\sigma_t}{t} \right)^2 + 4 E^4 \left( \frac{\sigma_L}{L} \right)^2$$

$\sigma \sim 2\%$        $\sigma_{TOF} = 60 \text{ ps}$       from reconstruction

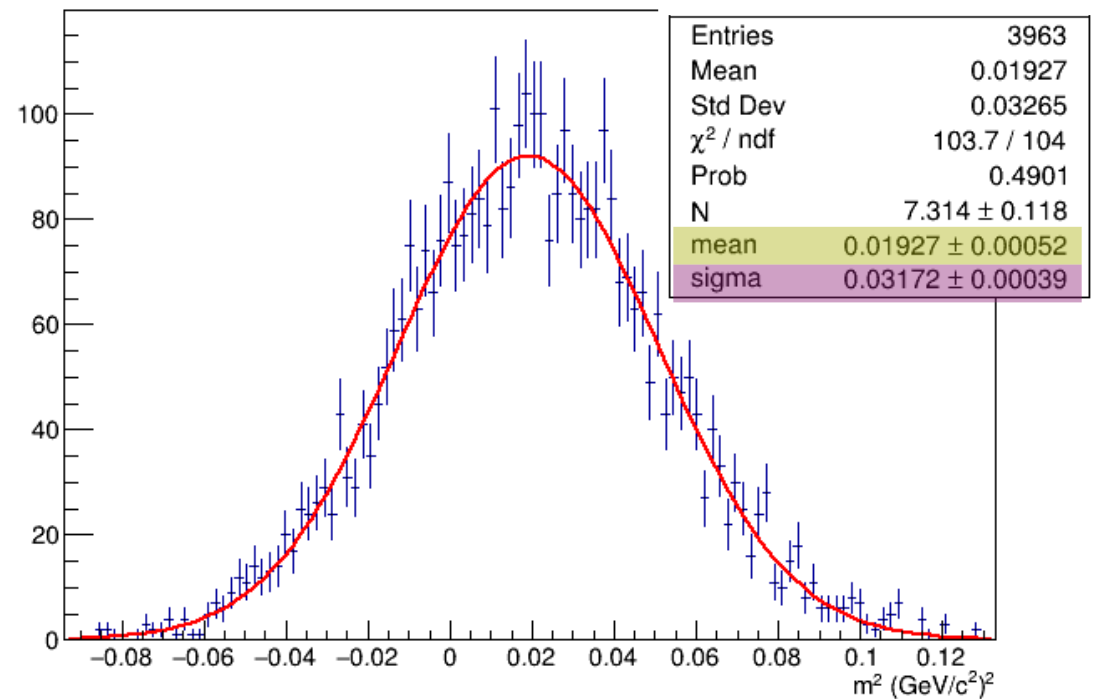
# Parametrization

Fit  $m^2$  distribution in 40 bins of momentum



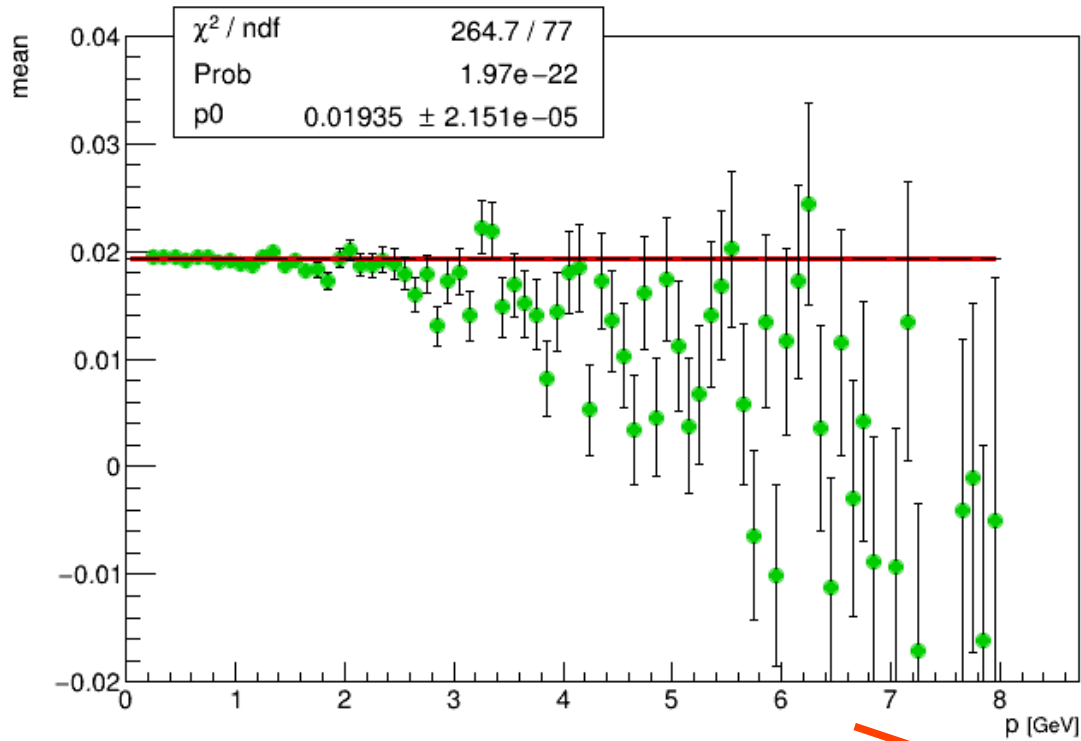
**pion**

$P_{\text{bin}} = \underline{1.2 - 1.4}$  GeV

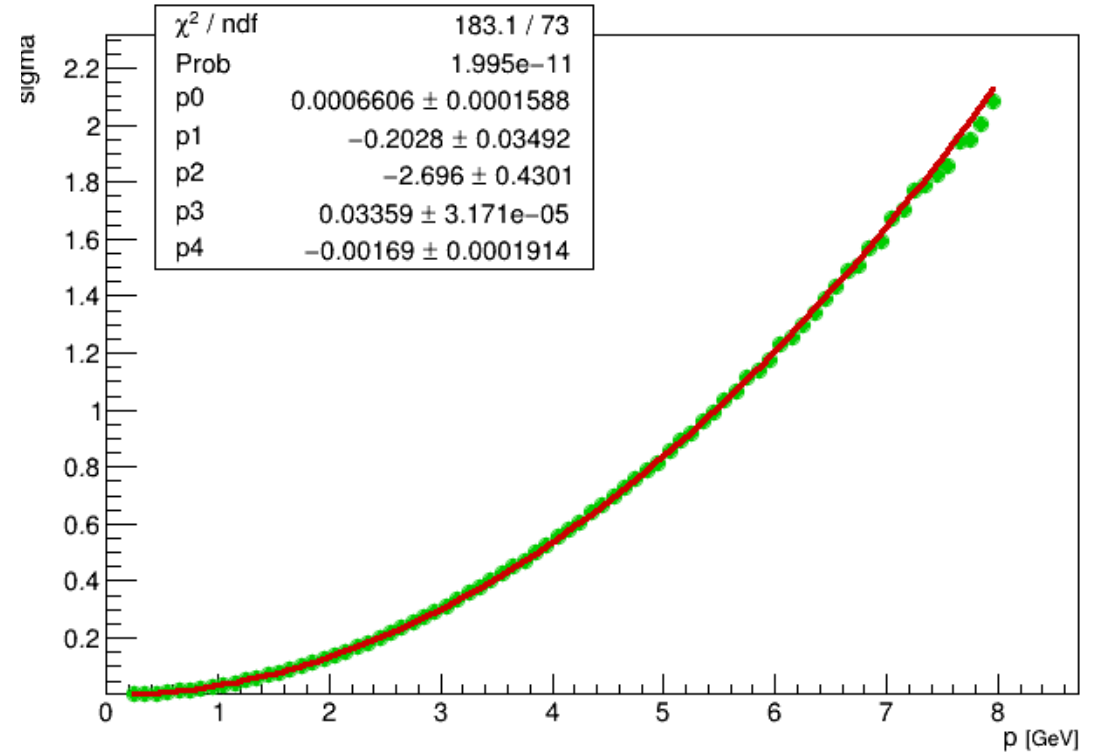


# Pion parametrization

mean



sigma



Observed signal from a detector

$$m^2 = \frac{p^2}{c^2} \left[ \frac{t_{TOF}^2 c^2}{L^2} - 1 \right]$$

$$n_{\sigma_\alpha}^i = \frac{S_\alpha - \hat{S}(H_i)_\alpha}{\sigma_\alpha^i}$$

$\alpha = \text{STRAW, TOF} \dots$   
 $i = \pi, K, p \dots$

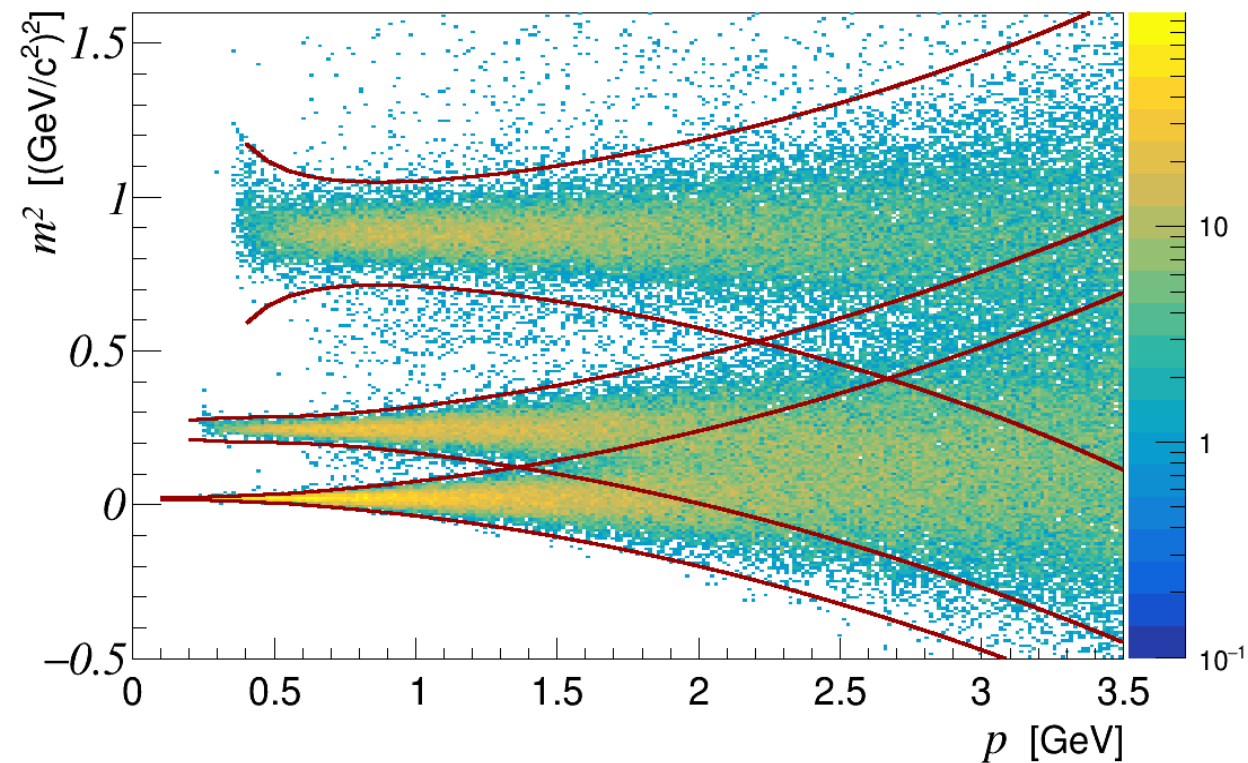
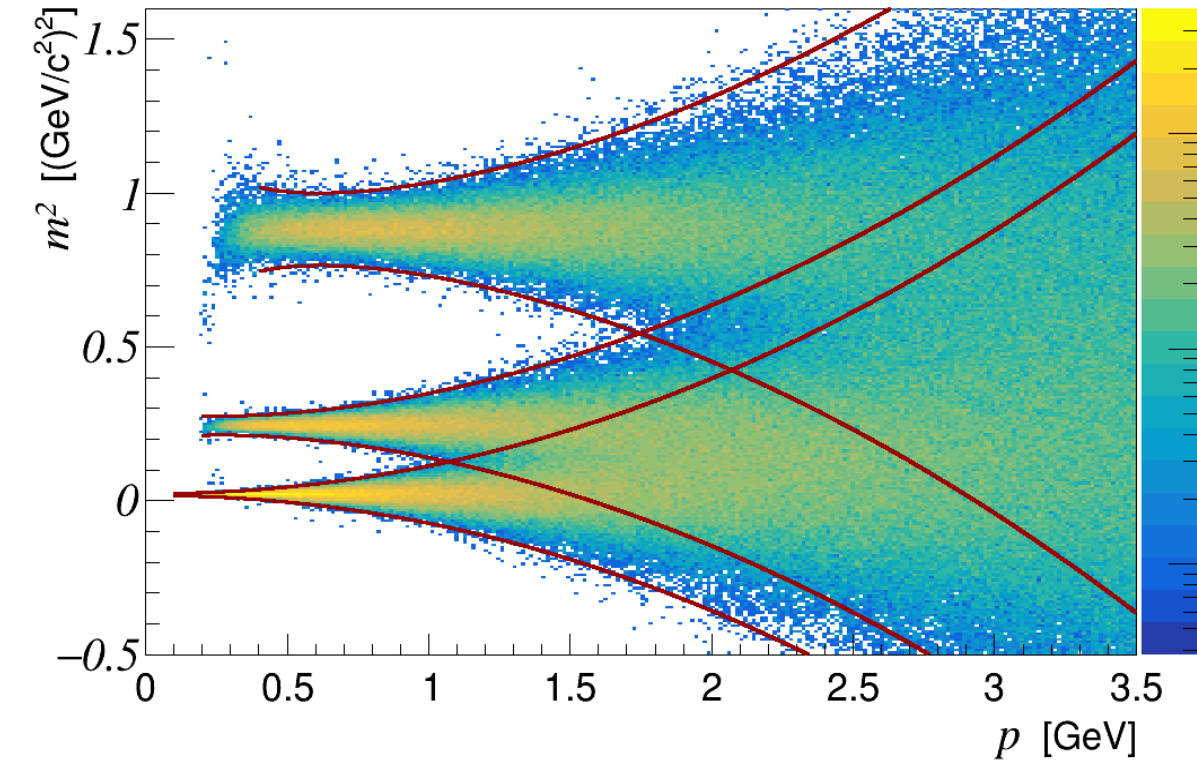


# $m^2$ vs $p$

**Barrel**

**End-Cap**

*curves with  $3\sigma$*

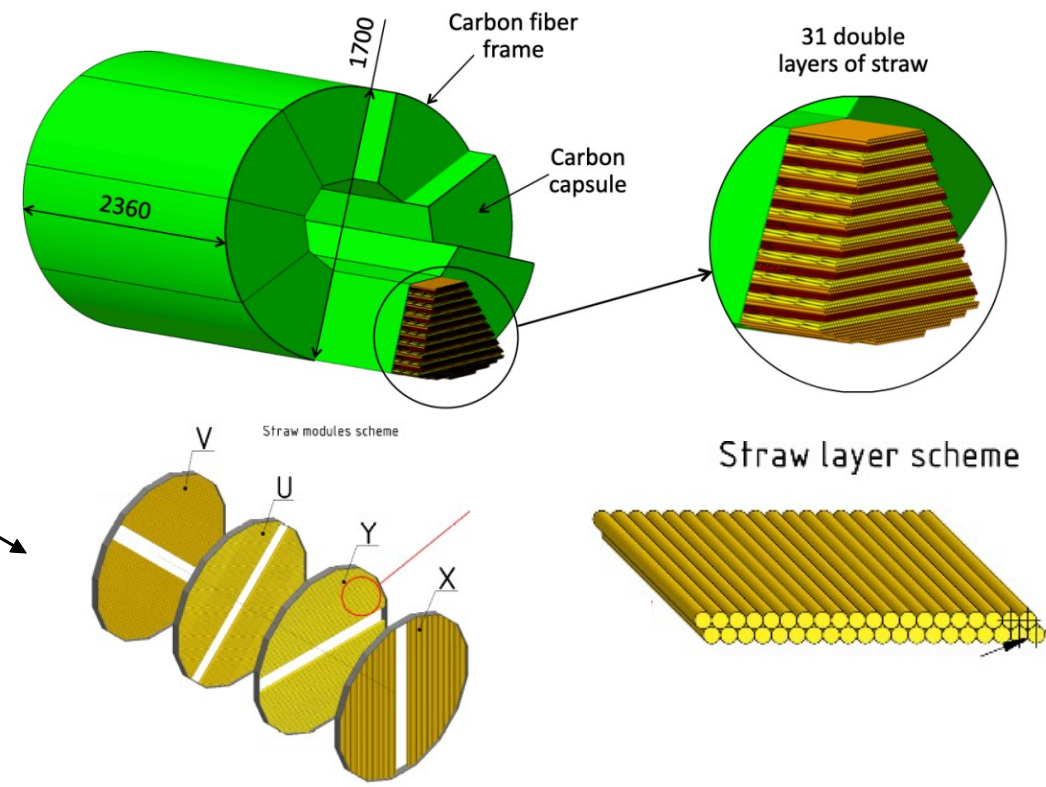
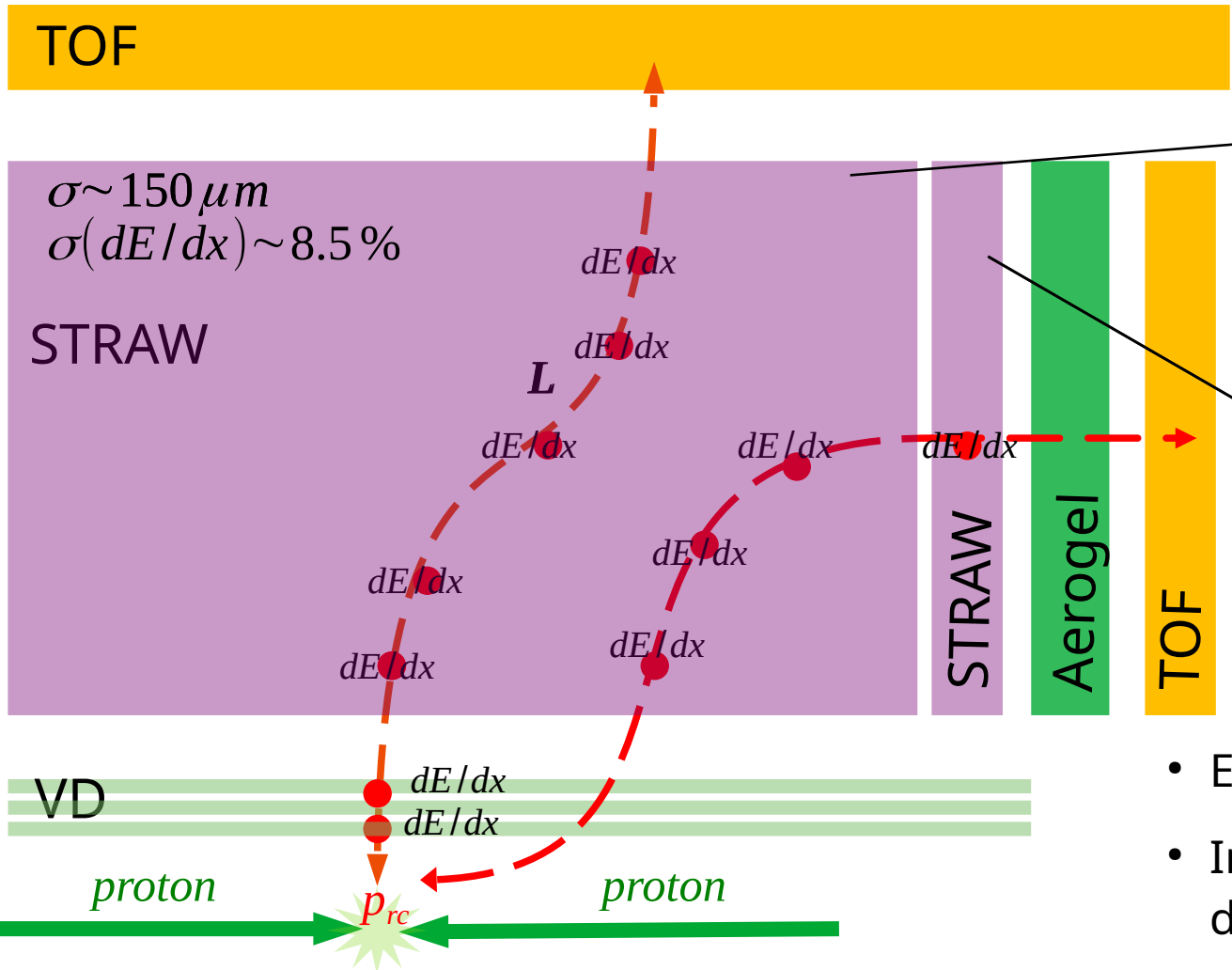


$n_{\text{sigma}}=3$	$p_{\text{max}}(\text{pion/kaon}), \text{GeV}$	$p_{\text{max}}(\text{kaon/proton}), \text{GeV}$
<b>Barrel</b>	1.2	2.0
<b>End-Cap</b>	1.6	2.7

# Straw tracker

Barrel: 31 double layers  
End-Cap: 8 double layers

Magnetic field

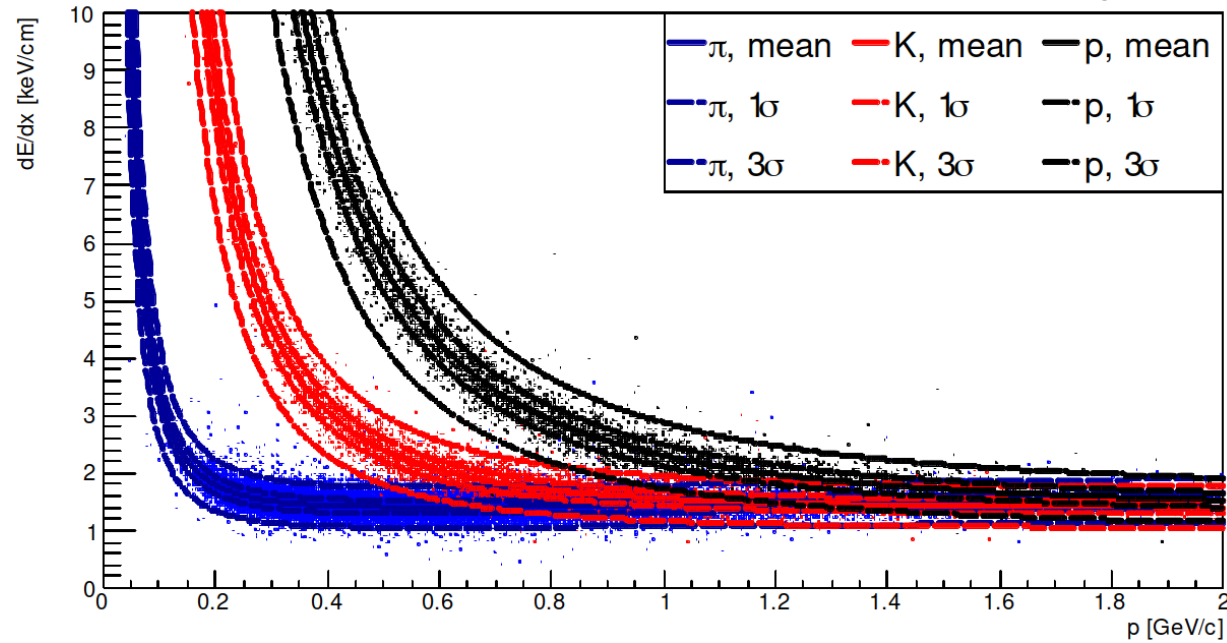


- Each track crosses several straw tubes.
- In simplest case, we calculate mean value of  $dE/dx$  for each track
- Energy loss per unit path length ( $dE/dx$ ) is described by the Bethe-Bloch formula

# Parametrization dE/dx vs p for STRAW

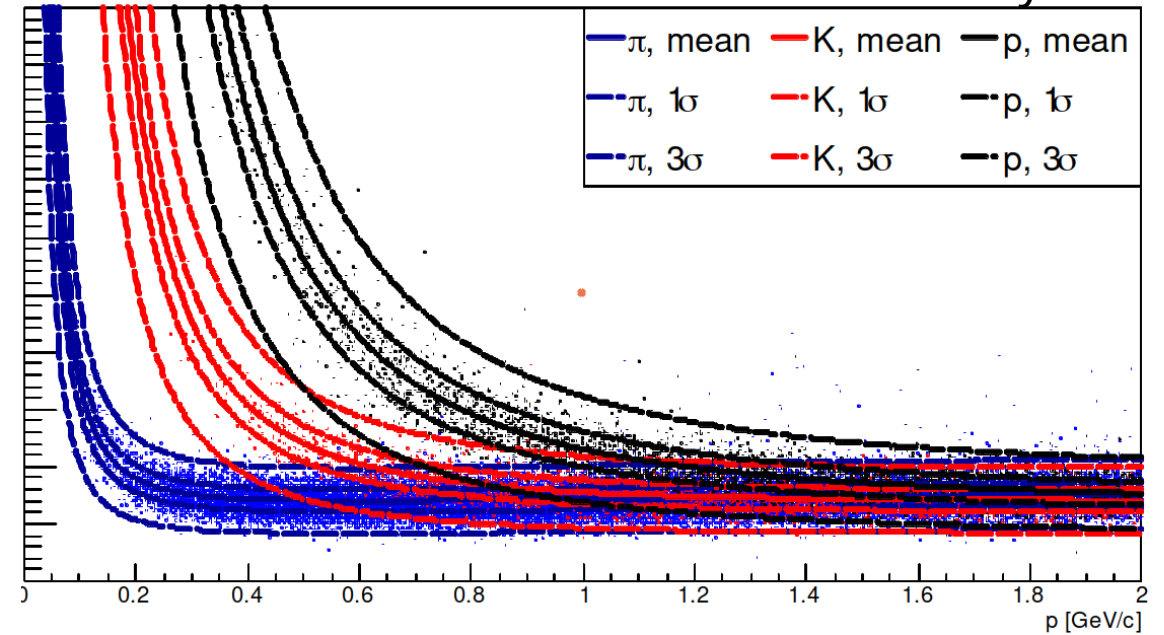
## Barrel

31 double layers



## End-Cap

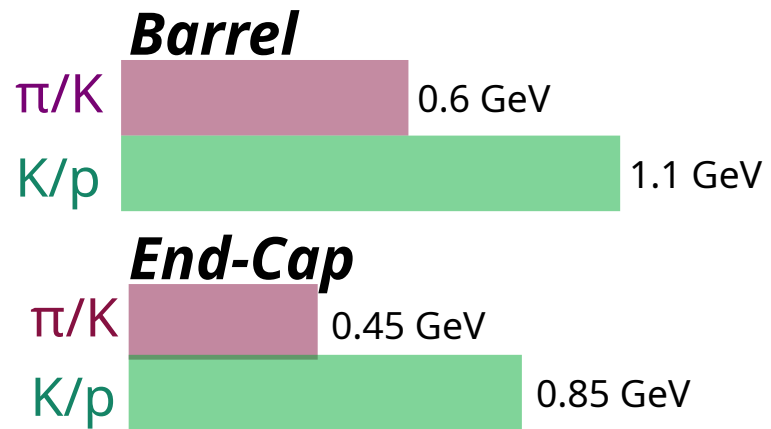
8 double layers



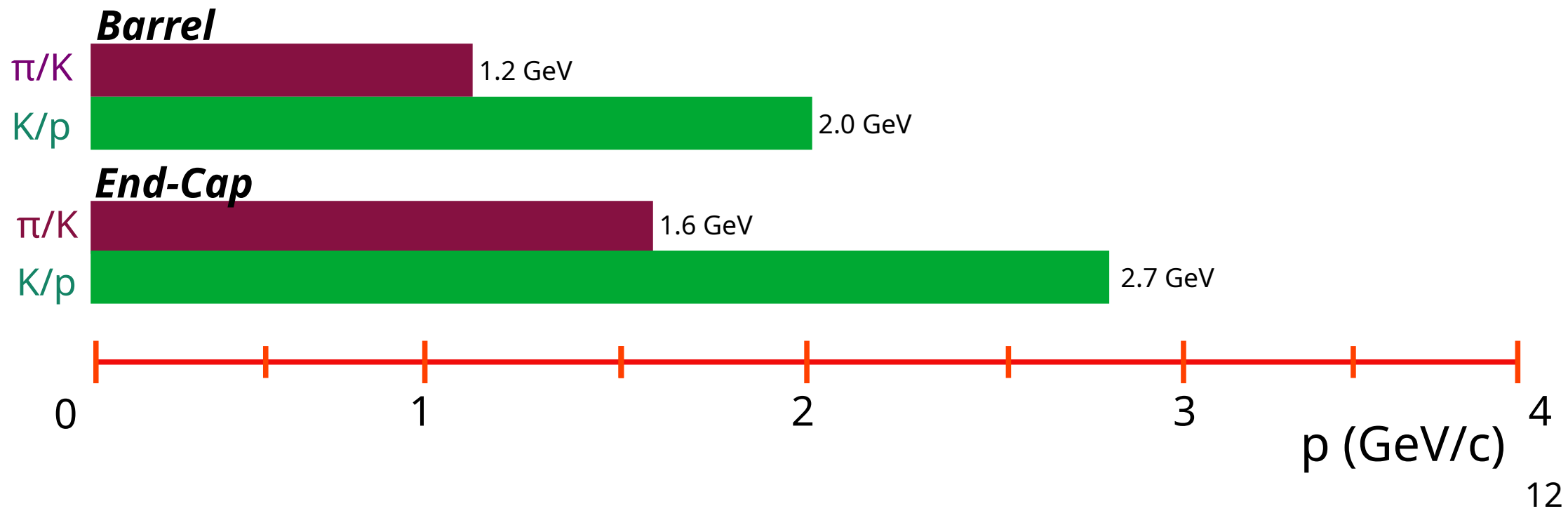
$n_{\text{sigma}}=3$	$p_{\text{max}}(\text{pion/kaon}), \text{ GeV}$	$p_{\text{max}}(\text{kaon/proton}), \text{ GeV}$
<b>Barrel</b>	0.6	1.1
<b>End-Cap</b>	0.45	0.85

# Particle identification in SPD

## Straw tracker



## TOF



# PID methods

1. Define a cut on  $n\sigma < k$ ,  $k=1,2,3$  in single detector analysis
2. Define a multiple-cuts on  $n\sigma$  for several detectors
3. Define a cut on a combined- $n\sigma$  variable

$$n \sigma_{comb} = \sqrt{n \sigma_{STRAW}^2 + n \sigma_{TOF}^2 \dots}$$

4. The Bayesian approach:  
combine information from different PID detectors,  
with and without Gaussian responses

# Bayes approach

S - a raw signal from a detector

$S(H_i)$  - expected average signal for a given species  $H_i(\pi, K, p, \dots)$

## The Bayes theorem

probability that the particle is of species  $H_i$ , given  $\vec{S}$

$$P(H_i|\vec{S}) = \frac{P(\vec{S}|H_i)C(H_i)}{\sum_{k=\pi, K, p} P(\vec{S}|H_k)C(H_k)}$$

a posterior probability

A priori probability for  $H_i$

$$P(S|H_i) = \frac{1}{\sqrt{2\pi\sigma}} e^{-\frac{(S-S(H_i))^2}{2\cdot\sigma^2}} \quad \text{One detector}$$

The conditional probability that a particle of species  $H_i$  produces a signal S (in this case expressed with a Gaussian response)

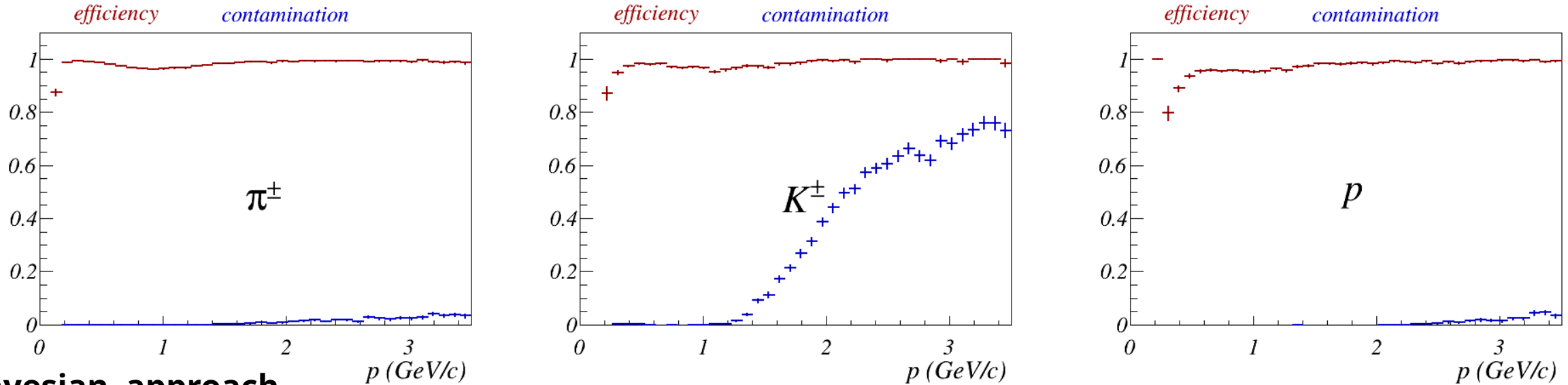
$$P(\vec{S}|H_i) = \prod_{\alpha=TOF, STAW, \dots} P_{\alpha}(S_{\alpha}|H_i)$$

Many detectors

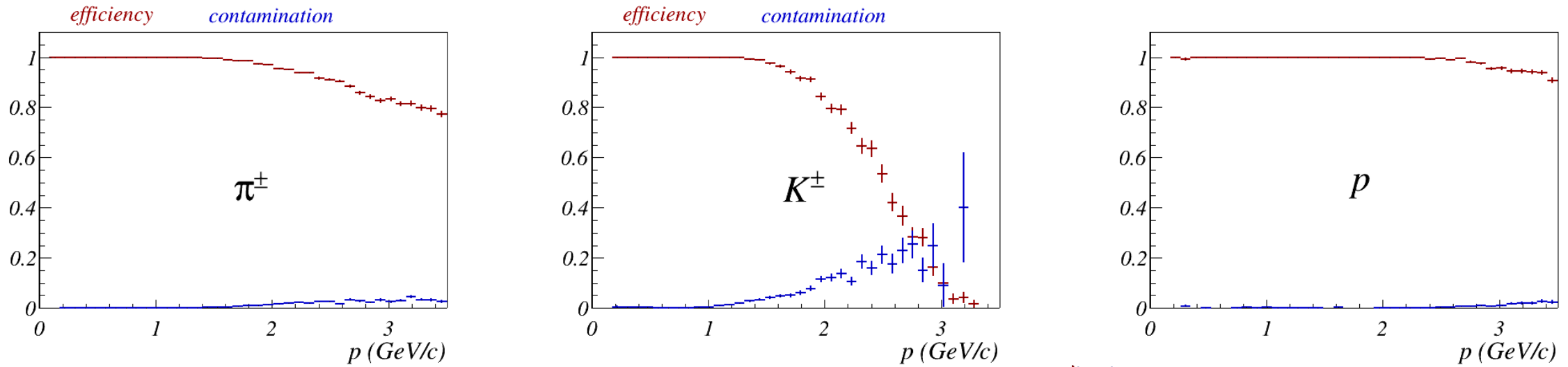
The conditional probability that a particle of species  $H_i$  produces the set of signals

# n-sigma and Bayesian approach for STRAW and TOF

## n-sigma



## Bayesian approach



**n-sigma:** fixed cut -> a constant efficiency

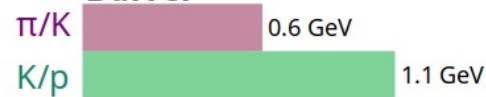
**Bayesian:** the selection on probability allows to maximize(minimize) efficiency(contamination)

# Conclusion

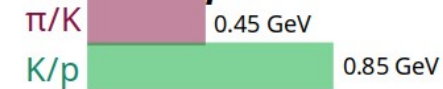
- Methodology for particle identification (pions, kaon and protons) in SPD for straw tracker and time-of-flight system was developed.
- The maximum limits of applicability for particle identification straw tracker and TOF have been determined.

## Straw tracker

### *Barrel*



### *End-Cap*

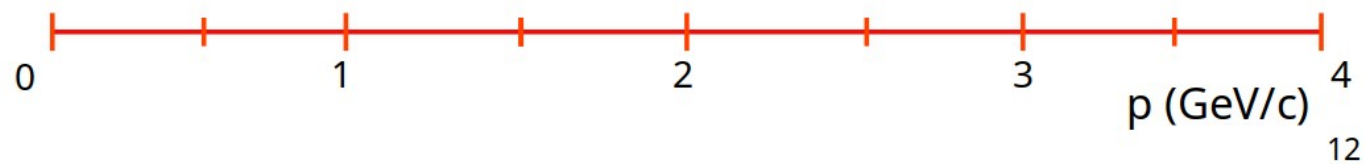


## TOF

### *Barrel*



### *End-Cap*





**Thank you for your attention**